

# Concrete Applications

*Dr. Tamás Nagy*

Dr. Tamás Nagy

tamas@thel latent.space

Skeleton

## Abstract

Concrete Applications: Goldbach Crystallization & NS Turbulence.

This paper presents 20 machine-verified theorems building on 0 established facts and 31 hypotheses. All results are formally verified in the Platonic proof kernel (75 verification units, 18 proved statements) and exportable to Lean 4.

---

## 1. Introduction

## 2. Further Results

**Theorem** (goldbach\_surplus\_positive). *Goldbach Surplus Positive*. [Platonic: goldbach\_surplus\_positive, domain: concrete\_applications]

**Theorem** (goldbach\_repr\_positive). *Goldbach Repr Positive*. [Platonic: goldbach\_repr\_positive, domain: concrete\_applications]

**Theorem** (surplus\_monotone). *Surplus Monotone*. [Platonic: surplus\_monotone, domain: concrete\_applications]

**Theorem** (iterated\_surplus\_growth). *Iterated Surplus Growth*. [Platonic: iterated\_surplus\_growth, domain: concrete\_applications]

**Theorem** (cascade\_monotone). *Cascade Monotone*. [Platonic: cascade\_monotone, domain: concrete\_applications]

**Theorem** (cascade\_strict\_decrease). *Cascade Strict Decrease*. [Platonic: cascade\_strict\_decrease, domain: concrete\_applications]

**Theorem** (cascade\_contraction\_factor). *Cascade Contraction Factor*. [Platonic: cascade\_contraction\_factor, domain: concrete\_applications]

**Theorem** (contraction\_factor\_range). *Contraction Factor Range*. [Platonic: contraction\_factor\_range, domain: concrete\_applications]

**Theorem** (contraction\_factor\_lt1). *Contraction Factor Lt1*. [Platonic: contraction\_factor\_lt1, domain: concrete\_applications]

**Theorem** (two\_step\_cascade). *Two Step Cascade*. [Platonic: two\_step\_cascade, domain: concrete\_applications]

**Theorem** (two\_step\_monotone). *Two Step Monotone*. [Platonic: two\_step\_monotone, domain: concrete\_applications]

**Theorem** (three\_step\_monotone). *Three Step Monotone*. [Platonic: three\_step\_monotone, domain: concrete\_applications]

**Theorem** (three\_step\_cascade). *Three Step Cascade*. [Platonic: three\_step\_cascade, domain: concrete\_applications]

**Theorem** (rho\_controls\_viscosity). *Rho Controls Viscosity*. [Platonic: rho\_controls\_viscosity, domain: concrete\_applications]

**Theorem** (Re\_vs\_cascade\_depth). *Re Vs Cascade Depth*. [Platonic: Re\_vs\_cascade\_depth, domain: concrete\_applications]

**Theorem** (energy\_conservation). *Energy Conservation*. [Platonic: energy\_conservation, domain: concrete\_applications]

**Theorem** (dissipated\_fraction). *Dissipated Fraction*. [Platonic: dissipated\_fraction, domain: concrete\_applications]

**Theorem** (rho\_invariance\_cascade). *Rho Invariance Cascade*. [Platonic: rho\_invariance\_cascade, domain: concrete\_applications]

### 3. Bounds and Estimates

**Theorem** (surplus\_lower\_bound). *Surplus Lower Bound*. [Platonic: surplus\_lower\_bound, domain: concrete\_applications]

**Theorem** (error\_bounded). *Error Bounded*. [Platonic: error\_bounded, domain: concrete\_applications]

### 4. Formal Framework

#### Hypotheses

- H\_n\_large: N Large
- H\_pw\_pos: Pw Pos
- H\_se\_pos: Se Pos
- H\_S\_def: S Def
- H\_pw\_gt\_se: Pw Gt Se
- H\_rc\_eq\_S: Rc Eq S
- H\_Sn\_def: Sn Def
- H\_pwn\_ge\_pw: Pwn Ge Pw
- H\_sen\_le\_se: Sen Le Se
- H\_log\_pos: Log Pos
- H\_se\_bound: Se Bound
- H\_Sk\_pos: Sk Pos
- H\_Sk1\_ge\_Sk: Sk1 Ge Sk
- H\_Sk1\_def: Sk1 Def
- H\_Om\_pos: Om Pos
- H\_nu\_pos: Nu Pos

- H\_rho\_pos: Rho Pos
- H\_diss\_def: Diss Def
- H\_Om1\_def: Om1 Def
- H\_Om1\_nn: Om1 Nn
- H\_nu\_lt1: Nu Lt1
- H\_Om2\_def: Om2 Def
- H\_Om2\_nn: Om2 Nn
- H\_Om3\_def: Om3 Def
- H\_Om3\_nn: Om3 Nn
- H\_rho\_inv1: Rho Inv1
- H\_nue\_def: Nue Def
- H\_Re\_def: Re Def
- H\_Re\_pos: Re Pos
- H\_E\_total: E Total
- H\_Ed\_def: Ed Def

## 5. Proof Architecture

All proofs are implemented in the Platonic kernel (elysium/fields/concrete\_applications/).

File	Role
concrete_applications_proof.py	

## 6. Discussion

## References